## Phi 270 Foo test 3 in pdf format

Analyze the sentences below in as much detail as possible *using connectives*; that is, you *should not* identify components that are individual terms (or predicates or functors). Present the result in *both symbolic and English notation*. Be sure that the unanalyzed components of your answer are complete and independent sentences; also try to respect any grouping in the English.

- 1. *If it rains, you will get wet if you're outside* [answer]
- 2. Al missed breakfast only if he overslept [answer]

Use derivations to check whether each of the entailments below holds. You may use detachment and attachment rules. If an entailment fails, present a counterexample that divides an open gap.

- **3.**  $A \rightarrow (B \rightarrow C) \Rightarrow (A \rightarrow \neg C) \rightarrow (A \rightarrow \neg B)$ [answer]
- 4.  $A \rightarrow B \Rightarrow \neg A \land B$ [answer]

Analyze the sentence below in as much detail as possible. In this case you *should* identify components that are individual terms, predicates, or functors. Be sure that the unanalyzed components of your answer are independent (in particular, that none contains a pronoun whose antecedent is in another).

**5.** Unless Al is the file's owner, the system didn't let him open it [answer]

[The following question was on a topic not covered in Fo5] Expand the following sentence in all possible ways on each of the terms appearing in it (i.e., you need not use vacuous abstraction).

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Use a derivation to show that the entailment below holds. You may use detachment and attachment rules.

7.  $A \rightarrow Ra(fb), Rb(fa) \rightarrow Ga \Rightarrow A \rightarrow (\neg Gb \rightarrow \neg a = b)$ [answer]

## Phi 270 Foo test 3 answers

 it will rain → you will get wet if you're outside it will rain → (you will get wet ← you will be outside)

$$R \rightarrow (W \leftarrow O) [or: R \rightarrow (O \rightarrow W)]$$
if R then if O then W  
[O: you will be outside; R: it will rain; W: you will get wet]  
2.  $\neg Al \text{ missed breakfast} \leftarrow \neg Al \text{ overslept}$   
 $\neg M \leftarrow \neg O [or: \neg O \rightarrow \neg M)]$   
if not O then not M  
[M: Al missed breakfast; O: Al overslept]  
3. 
$$\begin{vmatrix} A \rightarrow (B \rightarrow C) & 3 \\ A \rightarrow \neg C & 4 \\ A & (3),(4) \\ B \rightarrow C & 5 \\ \neg C & (5) \\ \neg B & (6) \\ \hline \\ -B & (6) \\ \hline \\ -B & 2 \\ 2 \text{ CP} \\ A \rightarrow \neg B & 1 \\ 1 \text{ CP} & (A \rightarrow \neg B) = 1 \\ 1 \text{ CP} & (A \rightarrow \neg C) \rightarrow (A \rightarrow \neg B) \\ 4. 
$$\begin{vmatrix} A \rightarrow B & 3,5 \\ B & 0 \\ O & A, B \Rightarrow \bot \\ 1 & 2 \\ 2 \text{ RAA} & [A \rightarrow A & 1 \\ O & \neg A, \neg B \Rightarrow \bot \\ 1 & 4 \\ A & IP \\ 1 \text{ Cnj} & \neg A \land B \\ \end{vmatrix}$$$$

	$\begin{array}{c c} A & B & A \rightarrow B / \neg A \land B \\ \hline T & T & F & F \\ F & T & T & F \\ \end{array}$ divides 1st gap F F & T & T & F \\ \end{array}divides 2nd gap		
	TT T F F divides 1s	t gap	
	FF T T F divides 21	nd gap	
5۰			
	$\neg$ Al is the file's owner $\rightarrow \neg$ the system let Al open the file		
	$\neg \overline{Al} = \overline{the  file's  owner} \rightarrow \neg [\lambda xyz  (x  let  y  open  z)]  the  system$		
	<u>Al the file</u>		
	$\neg a = [\lambda x (x's owner)] the file \rightarrow \neg Lsaf$		
	$\neg a = of \rightarrow \neg$ Lsaf		
	[L: $\lambda$ xyz (x <i>let</i> y <i>open</i> z); a: <i>Al</i> ; f: <i>the file</i> ; o: $\lambda$ x (x's <i>owner</i> ); s:		
	the system]		
6.	[This question was on a topic not covered in Fo5]		
	[λx Txbe]a		
	[\lambda Taxe]b		
	[\lambda x Tabx]c		
7•	$\begin{array}{c} A \rightarrow Ra(fb) \\ Rb(fa) \rightarrow Ga \end{array}$		
	$Rb(fa) \rightarrow Ga$	4	
	Ra(fb)	(5)	
	$\begin{bmatrix} -1 \\ Ra(fb) \\   - Gb \end{bmatrix}$	(6)	
		a-b, fa-fb	
		a-0, 1a-10	
	•		

 $5 \text{ QED} = \begin{bmatrix} & & & & & \\ & & & & \\ & & & & \\ & & & & \\ 6 \text{ Nc} = & & & & \\ & & & & \\ 4 \text{ RC} & & & & \\ & & & & \\ 3 \text{ RAA} & & & & \\ & & & \neg \text{ a=b} & 2 \\ 2 \text{ CP} & & & \neg \text{ Gb} \rightarrow \neg \text{ a=b} & 1 \\ 1 \text{ CP} & \text{ A} \rightarrow (\neg \text{ Gb} \rightarrow \neg \text{ a=b}) & \end{bmatrix}$